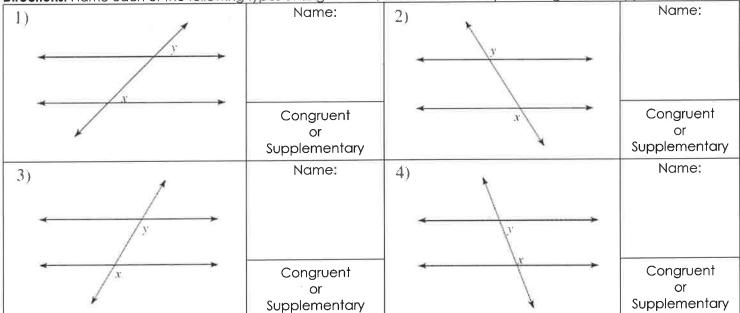
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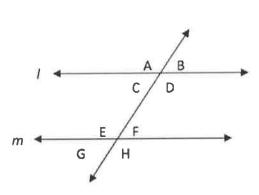
## Honors Math III - Unit 5 - Parallelograms and Triangles

Date	Lesson/Objective	Homework
Wed.	Parallel Lines	HW 5-1
Nov. 1		
Thurs.	Proofs of Triangles	HW 5-2
Nov. 2		
Fri.	Review and Quiz	
Nov. 3		
Mon.	Parallelograms	HW 5-3
Nov. 6	×	
Tues.	Quadrilaterals	HW 5-4
Nov. 7		
Wed.	Pre-Act	HW 5-5
Nov. 8	More Quads	
Thurs.	Centers of Triangles	HW 5-6
Nov. 9		
Fri.	Holiday	
Nov. 10		
Monday	Review	Complete
-		Review WS
Nov. 13		
Tuesday	Test Unit 5	
Nov. 14		

Directions: Name each of the following types of angles. Then, state whether they are congruent or supplementary.



**Directions:** Find the value of x in each question given that lines l and m are parallel. Check your answers by finding the measure of each angle.



$$m\angle C = 3x - 10;$$

$$5. \quad m \angle F = x + 70$$

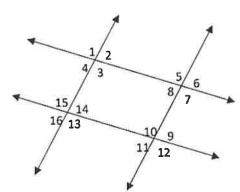
6. 
$$m \angle D = x + 27;$$
$$m \angle F = 2x - 39$$

7. 
$$m \angle B = 2(x+40);$$
  
 $m \angle G = 5x+44$ 

## tw 5-1 cont

Directions: Solve for the following. Show all work in the space provided.

8. Given that  $m \angle 4 = 3x + 10$  and  $m \angle 12 = 2x + 30$ , find the value of x,  $m \angle 4$ ,  $m \angle 10$ .

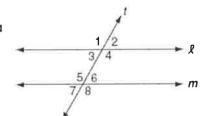


**x** =

m<4=

m < 10 =

9. In the accompanying diagram, line  $\ell$  is parallel to line m, and line t is a transversal. Which must be a true statement?



$$(1) m \angle 1 + m \angle 4 = 180$$

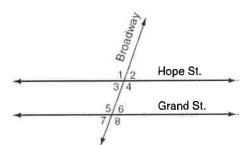
(1) 
$$m \angle 1 + m \angle 4 = 180$$
 (3)  $m \angle 3 + m \angle 6 = 180$ 

(2) 
$$m \angle 1 + m \angle 8 = 180$$
 (4)  $m \angle 2 + m \angle 5 = 180$ 

(4) 
$$m \angle 2 + m \angle 5 = 180$$

10. The accompanying diagram shows two parallel roads, Hope Street and Grand Street, crossed by a transversal road, Broadway. If  $m \angle 1 = 110$ , what is the measure of  $m \angle 7$ ?





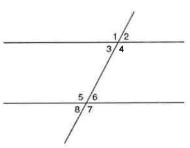
11. In the accompanying figure, what is one pair of alternate interior angles?



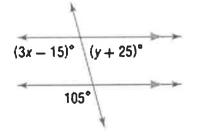
(1)  $\angle 1$  and  $\angle 2$ 

(3) 
$$\angle$$
 4 and  $\angle$  6

- (2)  $\angle 4$  and  $\angle 5$
- (4)  $\angle$  6 and  $\angle$  8



12. Find the value of x and y.

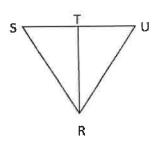


$$y =$$

Given:  $RS \cong RU$ ,  $TS \cong TU$ ,

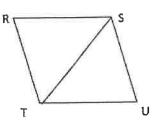
 $< S \cong < U, < SRT \cong < URT$ 

Prove:  $\Delta RST \cong \Delta RUT$ 



2. Given:  $RS \cong UT$ ,  $RT \cong SU$ 

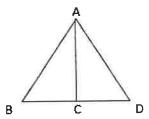
Prove:  $\Delta RST \cong \Delta UTS$ 



3. Given:  $AB \cong AD$ ,  $< B \cong < D$ ,

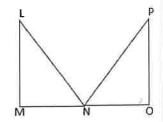
< *ACB* & < *ACD* are 90°

Prove:  $\triangle ABC \cong \triangle ADC$ 



4. Given:  $LM \cong PO, < L \cong < P, < M \& < 0 \text{ are } 90^{\circ}$ 

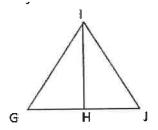
Prove:  $\Delta LMN \cong \Delta PON$ 





5. Given: H is the midpoint of GJ,  $GI \cong IJ$ 

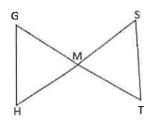
Prove:  $\triangle GHI \cong \triangle JHI$ 



6. Given: M is the midpoint of GT,

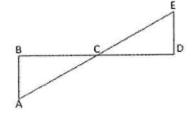
M is the midpoint of HS

Prove:  $\triangle GMH \cong \triangle TMS$ 



7. Given:  $\langle B \& \langle D \text{ are } 90^{\circ}, AE \text{ bisects } BD \rangle$ 

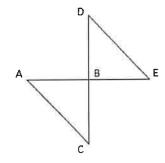
Prove:  $\triangle ABC \cong \triangle EDC$ 



8. Given:  $DC \mid AE, DE \cong AC$ ,

B is the midpoint of AE

Prove:  $\triangle BDE \cong \triangle BCA$ 



Name:

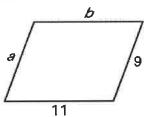
Period:

Date:

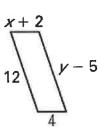
# Practice Worksheet: How do you use properties of parallelograms to solve problems?

Find the value of each variable in the parallelogram.

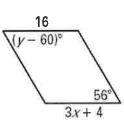
1.



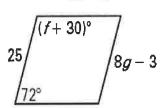
2.



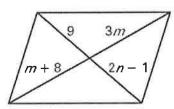
3.



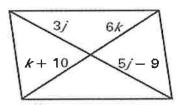
4.



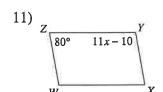
5.

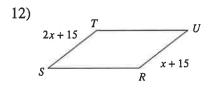


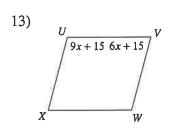
6.

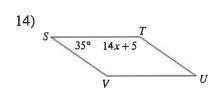


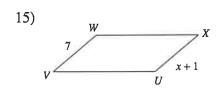
Solve for x. Each figure is a parallelogram.

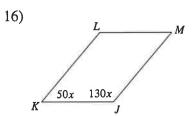












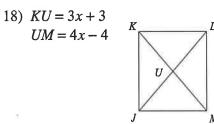
17) 
$$UH = 19$$

$$FH = 5x - 7$$

$$H$$

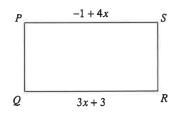
$$U$$

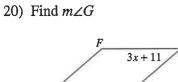
$$F$$

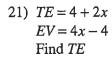


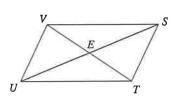
Find the measurement indicated in each parallelogram.

19) Find *RQ* 

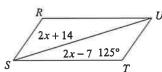








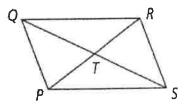
22) Find  $m \angle TSR$ 



#### Math 3

Use the diagram below to solve for x and y if the figure is a parallelogram.

- a) PT = 2x, QT = y + 12, TR = x + 2, TS = 7y
- b) PT = y, TR = 4y 15, QT = x + 6, TS = 4x - 6

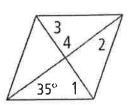


- Find the measure of each angle if the figure is a rhombus.
  - a) Find the  $m \angle 1$ .

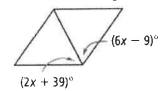
b) Find the m22.

c) Find the m∠3.

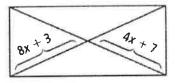
d) Find the m24.



3. Solve for x if the figure is a rhombus.

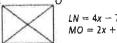


4. Solve for x if the figure is a rectangle,



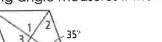
5. What is the length of LN if the figure is a

rectangle?



6. Solve for the missing angle measures if the figure

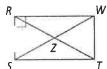
is a rhombus.



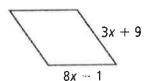
7. What is the length of SW?

$$RZ = 2x + 5$$
,

$$SW = 5x - 20$$



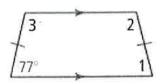
8. Solve for x if the figure is a rhombus.



#### Math 3

ctions: For questions #1-2, find the measure of each missing angle.

1.

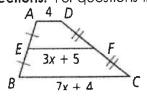


2

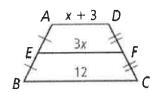


**Directions:** For questions #3-4, find x and the length of EF.

3.

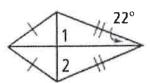


4.

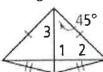


Directions: For questions #5-6, find the measures of the numbered angles in each kite.

5.

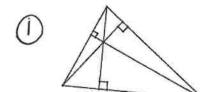


6



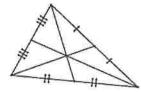
Challenge Question: Solve for the unknown angle measures in the kite shown below.

Geometry – Points of Concurrency Worksheet	Name:	Period:
In each figure below, tell what point of concurrency	is shown and what constructions	form that point:



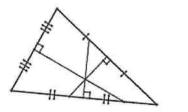
Formed by: \_\_\_\_\_





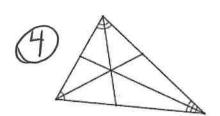
Formed by: \_\_\_\_\_





Point:

Formed by: \_\_\_\_\_



Formed by:

### **Important Questions**

5. Which points of concurrency are always inside the triangle? \_\_\_\_\_

- 6. Which point of concurrency is always on the vertex of a right triangle? \_\_\_\_\_
- 7. Which point of concurrency is always on the midpoint of the hypotenuse in a right triangle? \_\_\_\_\_
- 8. Which points of concurrency are always outside of an obtuse triangle? \_\_\_\_\_\_
- 9. Which point of concurrency is the center of gravity in a triangle? \_\_\_\_\_
- 10. Which point of concurrency is equidistant from every vertex?
- Point G is the Centroid of  $\triangle$ ABC. AD = 8, AG = 10, and CD = 18. Find the length of the given segment. 11.

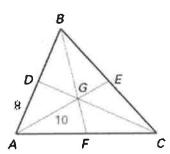
 $\overline{BD}$ 

 $\overline{\mathsf{AB}}$ 

EG

AE \_\_\_\_\_

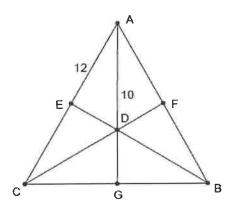
DG



	(5-6 cont)
	9 000
12	mar al academic A

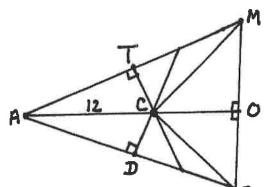
12. D is the centroid of  $\triangle ABC$ ,  $\overline{AE} = 12$ ,  $\overline{AD} = 10$ ,  $\overline{CF} = 12$ . Find the length of each segment.



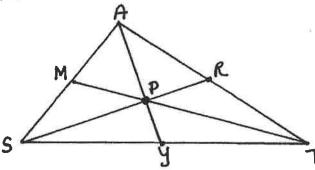


13. Given

$$AD = (o$$



14. P is a centroid.



Find

AT=

Find:

True or False?

The perpendicular bisectors of a right triangle intersect on the triangle.

16. \_\_\_\_\_ The center of balance of the triangle is the incenter.

17. \_\_\_\_\_ To find the point that is equidistant from the sides, you need to find the circumcenter.

Fill in the blank.

18. The \_\_\_\_\_\_ is  $\frac{2}{3}$  the distance of the median from the vertex.

To find the point that is equidistant from the vertices of a triangle, we need to

draw or construct the three \_\_\_\_\_\_ of a triangle.